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Simulation Examples

Introduction

- We want to simulate a 1. order differential equation using LabVIEW
- We will use 3 different alternatives:
 - MathScript Window (similar to MATLAB)
 - MathScript Node inside LabVIEW
 - LabVIEW Control Design and Simulation Module
- We should of course expect the same simulation results using the 3 different alternatives



Model

Mathematical Model

In this example we will use the following 1. order differential equation:

$$\dot{x} = -ax + bu$$

Note that
$$\dot{x} = \frac{dx}{dt} = x'(t)$$

Different notation is used in different textbooks and examples

We can set, e.g., a = 0.25 and b = 2 in the simulations

Simulation

- We want to simulate this differential equation by applying a step in the input signal u = 1 at t = 0s
- Then we will observe the simulation results (Step Response) by plotting the results





MathScript Module

LabVIEW MathScript Window

MathScript Window

Image: Second state of the second s	LabVIEW	/ MathScript RT Module
Real-Time Module	TabVIEW MathScript	
	<u>File Edit View Operate Tools Window H</u> elp	
MathScript Window	Output Window	Variables Script History
DSC Module	>>	▶ * * * > * * * > * * * > * * *
Marga	2	1 x = 2
Security 4		$3_{y} = 3*x + 2$
Blank V User Name	8	
		results are available in the Output Window
	Output Window	
	Here you can see the results of the calculations	Script Window
Add-on Module for LabVIEW where we can do text-based		This is the Editor where you create your program (script). The Script can be saved as a .m file
programming and simulations	Command Window	
– very powerful!	Command Window	
	You can use the Command Window to enter singel commands	
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Discretization

- In order to simulate this system, we typically need to find the <u>discrete</u> differential equation (difference equation)
- We can use e.g., the **Euler** Approximation:

$$\dot{x} \approx \frac{x(k+1) - x(k)}{T_s}$$

Discrete Model

We have the continuous differential equation: $\dot{x} = -ax + bu$

We apply Euler: $\dot{x} \approx \frac{x(k+1)-x(k)}{T_s}$

Then we get:

$$\frac{x(k+1) - x(k)}{T_s} = -ax(k) + bu(k)$$

This gives the following discrete differential equation (difference equation):

$$x(k + 1) = (1 - T_s a)x(k) + T_s bu(k)$$

This equation can easily be implemented in any text based programming language

MathScript Code

This is an example. You can implement it in many different ways

```
% Simulation of discrete model
clear, clc
% Model Parameters
a = 0.25;b = 2;
% Simulation Parameters
```

```
Tstop = 20; %s
uk = 1; % Step Response
x(1) = 0;
% Simulation
```

Ts = 0.1; %s

```
% Plot the Simulation Results
t=0:Ts:Tstop;
plot(t,x)
grid on
```

MathScript Code and Simulation Results







MathScript Node

MathScript Node Code Example

We just copy the previous code into a MathScript Node inside LabVIEW:



Alternative #3



LabVIEW

LabVIEW Control and Design and Simulation Module

Block Diagram $\dot{x} = -ax + bu$

A Block Diagram for the model/differentia equation above becomes:



LabVIEW Code (Block Diagram)



LabVIEW GUI (Front Panel)





Summary

Discussion/Summary/Conclusion

- We have simulated a 1. order differential equation using LabVIEW
- We have used 3 different alternatives:
 - MathScript Window (similar to MATLAB)
 - MathScript Node inside LabVIEW
 - LabVIEW Control Design and Simulation Module
- We got (of course) the same simulation results using the 3 different alternatives
- What to do next: Do the same for <u>your</u> differential equation

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